

IPv4 ADDRESSING

Basics of IP addressing

$$2^1 = 2$$

$$2^2 = 4$$

⋮

$$2^9 = 512$$

$$2^{10} = 1024 = 1K \text{ (Kilo)}$$

$$2^{20} = 1024 \times 1024 = 1M \text{ (Mega)}$$

$$2^{30} = 1G \text{ (Giga)}$$

$$2^{40} = 1T \text{ (Tera)}$$

$$2^{50} = 1P \text{ (Peta)}$$

$$2^{60} = 1E \text{ (Exa)}$$

$$2^{70} = 1Z \text{ (Zetta)}$$

$$2^{80} = 1Y \text{ (Yotta)}$$

Conversions :

$$1 \text{ Byte} = 8 \text{ bits}$$

$$1 \text{ KB} = 1024 \text{ Bytes}$$

$$1 \text{ MB} = 1024 \text{ KB (Kilo byte)}$$

$$1 \text{ GB} = 1024 \text{ MB (Mega byte)}$$

$$1 \text{ TB} = 1024 \text{ GB (Giga byte)}$$

$$1 \text{ PB} = 1024 \text{ TB (Tera Byte)}$$

$$1 \text{ EB} = 1024 \text{ PB (Peta Byte)}$$

$$1 \text{ ZB} = 1024 \text{ EB (Exa Byte)}$$

$$1 \text{ YB} = 1024 \text{ ZB (Zetta Byte)}$$

2 bit

00

01

10

11

3 bit

000

001

010

011

100

101

110

111

(fixed bit)

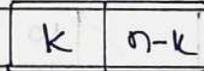
$$1 \text{ bit} \rightarrow 2 \text{ parts} = 2^1 \text{ part}$$

$$2 \text{ bit} \rightarrow 4 \text{ parts} = 2^2 \text{ parts}$$

⋮

$$k \text{ bit} \rightarrow 2^k \text{ parts}$$

← n bit →

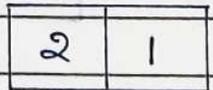


↓ ↓

$$2^k \text{ parts} \quad 2^{n-k} \text{ (Size of each part)}$$

$2^k \text{ parts} \rightarrow 2^n$
$1 \text{ part} \rightarrow \frac{2^n}{2^k}$
$= 2^{n-k}$

← 3 bit →



↓ ↓

$$2^2 \text{ parts} \quad 2 = 2 \text{ (Size of each part)}$$

- II. Semantics: The word semantics refers to the meaning of each section of bits.
- III. Timing: The term timing refers to two characteristics when data should be sent and how fast they can be sent.
eg.: if a sender produces data at 100 mbps but receiver can process data at only 1 mbps, the transmission will overload the receiver and some data will be lost.

- ② Identification Problem: To send a packet from source to destination, we need 3 identification steps
- Identify the network
 - Identify the host within the network i.e. among all computers one computer is identified.
 - Identify the process within the host.

Note: Whenever we have all 0s in the third part of any IP address, that IP address represents the ID of entire network, this is the reason we can't assign this IP address to any host (computer).

- Solution for identification of network is IP address or logical address. Now we get destination IP using DNS.
- Solution for identification of host within the network is physical address or MAC Address, given an IP address we get MAC address using ARP (Address Resolution Protocol).
- Solution for the identification of process within the host is Port Number.

	IP Addr.	Mac Addr.
ARP Request	10.32.15.73	?

- * ARP request is broadcasting
- * ARP reply is unicasting

Subnetting Category 2

Subnet Mask: It is a 32-bit number used to indicate number of bits borrowed from host-id and these positions were used on the following rules:

- * Rule 1: No. of 1's in the Subnet mask indicate $NID+SID$
- * Rule 2: No. of 0's in the Subnet mask indicate HID part

Default Subnet mask:

Class A: 255.0.0.0

Class B: 255.255.0.0

Class C: 255.255.255.0

For Class A:

255.0.0.0

11111111.00000000.00000000.00000000

$NID+SID = 8$, ~~$HID = 24$~~

$SID = 0$

Q1. If $NID = 200.200.200.0$ and Subnet mask = 255.255.255.192 then identify:

1. No of bits borrowed from host id: 2
2. No of Subnets possible and their Subnet id: 4
3. No of Host / Subnet: 62

255.255.255.192

200200.200.0 - Class C

No. of 1's = 26

$NID+SID = 26$, $SID = 2 \text{ bit}$

No. of Subnet possible = $2^2 = 4$

Hosts / Subnet = 2^6

= 62

Subnet ids = 200.200.200.-----

AD Rule

128 64

00 - 0

01 - 64

10 - 128

11 - 192

200.200.200.00.00000000 → 200.200.200.0

200.200.200.01.00000000 → 200.200.200.64

200.200.200.10.00000000 → 200.200.200.128

200.200.200.11.00000000 → 200.200.200.192

Q1. IP address in a block = 125.200.100.90 and the Subnet mask = 255.252.0.0 then find:

(i) 3rd host in 2nd Subnet: 125.4.0.3

(ii) 4th host in 3rd Subnet: 125.8.0.4

(iii) 1st host in 4th Subnet: 125.12.0.1

Ans

$$255. \underline{11111100}. \underline{00000000}. \underline{00000000}$$

S10. H10.

$$2^{\text{nd}} \text{ Subnet, } 3^{\text{rd}} \text{ host: } 255. 00001000. 00000000. 00000111$$

$$= 125.4.0.3$$

$$4^{\text{th}} \text{ host in } 3^{\text{rd}} \text{ Subnet: } 255. 00001000. 00000000. 00001000$$

$$= 125. \overset{8}{8}. 0.4$$

$$1^{\text{st}} \text{ host in } 4^{\text{th}} \text{ Subnet: } 255. 00001100. 00000000. 00000001$$

$$= 125.12.0.1$$

Q2 IP address in a block = 157.157.100.90 and the Subnet mask = 255.255.224.0 then find

i. 3rd host in 2nd Subnet = 157.157. ³²64.3

ii. 4th host in 3rd Subnet = 157.157. 64.4

iii. 1st host in 4th Subnet = 157.157. 128.1

Ans

$$S_m = 255.255. \underline{11100000}. 00000000$$

S10. 2nd Subnet → dec value (1). then calculate.

HW

Q3 IP address in a block = 200.200.200.90 and the Subnet mask = 255.255.255.240 then find

(i) 3rd host in 2nd Subnet:

(ii) 4th host in 3rd Subnet:

(iii) 1st host in 4th Subnet:

$$S_m: 255.255.255. \underline{11110000}$$

S10.

$$(II) \quad 202.61.64.0/21, \quad NID=21 \text{ bit}, \quad HID=11 \text{ bit} \\ 202.61.01000000.00000000/21 \text{ (true)}$$

$$(III) \quad 202.61.104.0/21, \quad NID=21 \text{ bit}, \quad HID=11 \text{ bit} \\ 202.61.01101000.00000000/21 \text{ (true)}$$

Ans = II and III

Q9. An internet Service provider (ISP) is granted a block of addresses starting with $162.72.0.0/16$. The ISP needs to distribute these addresses to three groups of customers as follows:
 The first group has 128 customers, each need 256 addresses
 The second group has 128 customers, each need 64 addresses
 The third group has 64 customers, each need 128 addresses.
 Find the last address of 6th customer of the 2nd group and how many addresses are still available with ISP after these allocations

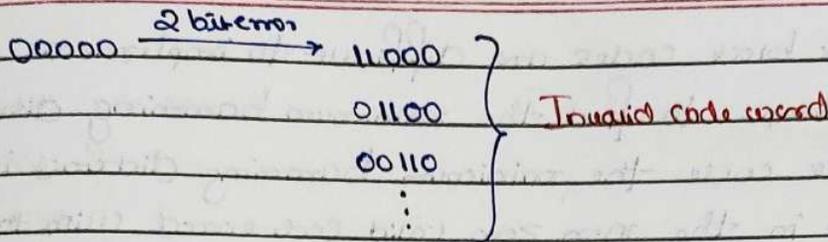
Ans $162.72.0.0/16$ $NID=16 \text{ bit}, \quad HID=16 \text{ bit}$
 No. of IP addresses available in the block = $2^{16} = 65,536$

$$I. \text{ First Group} = 128 \text{ customers each need 256 addresses} \\ 128 \times 256 = 2^7 \times 2^8 = 2^{15} \text{ Address}$$

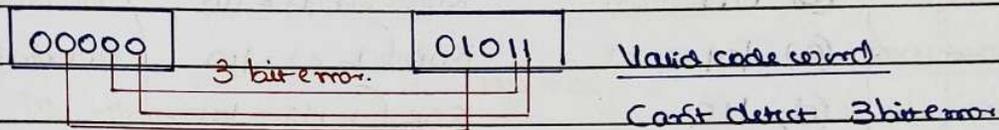
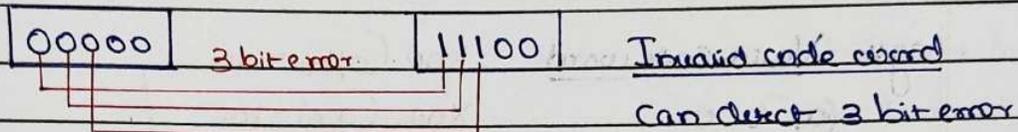
$$II. \text{ Second Group} = 128 \times 64 = 2^7 \times 2^6 = 2^{13} \text{ Address}$$

$$III. \text{ Third Group} = 64 \times 128 = 2^6 \times 2^7 = 2^{13} \text{ Address}$$

$$\begin{aligned} \text{IP address available} &= 2^{16} - (2^{15} + 2^{13} + 2^{13}) \\ &= 2^{16} - (2^{15} + 2^{14}) \\ &= 2^{16} - 2^{14}(2^1 + 1) = 2^{16} - 3 \times 2^{14} \\ &= 2^2 \times 2^{14} - 3 \times 2^{14} \\ &= 4 \times 2^{14} - 3 \times 2^{14} = 2^{14} \end{aligned}$$



Note: All 2 bit error detected.



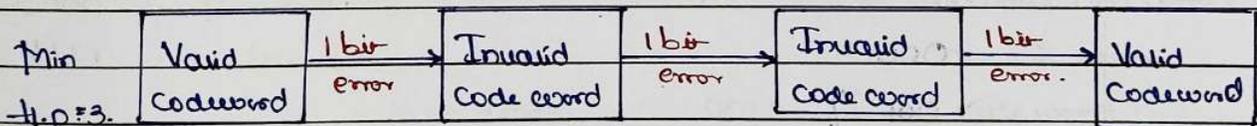
Note: * All 3 bit error can't be detected.

* QF minimum hamming distance = 3

* All one bit error detected

* All two bit error detected

* All three bit error can't be detected.



Can't detect all 3
bit error.

* If minimum hamming distance = d
 then we can detect $(d-1)$ bit errors.

* To detect ' d ' bit error minimum hamming
 distance required is $(d+1)$

Linear Block Codes:

* A linear block code is a code in which the XOR
 of two valid codewords create another valid code word.

* Today almost all error detection codes are linear block codes:

2. Given the generator function $g(x)$ and the message function $m(x)$ as follows:

$$g(x) = x^4 + x + 1, \quad r = 4$$

$$m(x) = x^7 + x^6 + x^4 + x^2 + x$$

Calculate the transmission function $T(x)$.

$$x^4 + x + 1 \overline{) x^{11} + x^{10} + x^8 + x^6 + x^5} \quad (x^7 + x^6 + x$$

$$x^{11} + x^8 + x^7$$

$$x^{10} + x^7 + x^6 + x^5$$

$$x^{10} + x^7 + x^6$$

$$\text{Codeword} = x^{11} + x^{10} + x^8 + x^6 + x^5 + x^2 + x$$

$$x^8 + x^2 + x$$

$$(x^2 + x) \rightarrow \text{Remainder}$$

HW

3. The message 11001001 is to be transmitted using the CRC polynomial $x^3 + 1$ to protect it from errors. The message that should be transmitted is:

4. A computer network uses polynomial over GF(2) for error checking using 8 bits of info bits and uses $x^3 + x + 1$ as generator. In this network the message 01011011 is transmitted as

Ans Generator = $x^3 + x + 1$

$$= 1011$$

$$1011 \overline{) 01011011000} \quad \text{Transmitted data} = 0101101101$$

$$1011$$

$$011000$$

$$1011$$

$$1110$$

$$1011$$

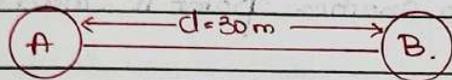
$$0101$$

FLOW CONTROL

Delay in Computer Network

Bandwidth: Bandwidth represent the rate at which number of bits placed on the link in one second.

Velocity: Velocity represent the rate at distance covered in one second.



100 bits transfer
from A to B.

$$B = 1 \text{ bps} = 1 \text{ bit/sec}$$

$$v = 1000 \text{ /sec}$$

$$\text{Total time} = 100 \text{ sec} + 3 \text{ sec}$$

$$= \underline{\underline{103 \text{ sec}}}$$

Delay:

1. Transmission delay (T_d)
2. Propagation delay (P_d)
3. Queuing delay (Q_d)
4. Processing delay (P_r_d)

Transmission delay: Amount of time taken to transfer a packet on to the outgoing line is called as transmission delay.

eg:: 1

$$\text{Packet size} = 1000 \text{ bits}$$

$$\text{Bandwidth} = 2 \text{ bps} = 2 \text{ bit/sec}$$

$$T_d = \frac{1000 \text{ bits}}{2 \text{ bit/sec}}$$

$$= 500 \text{ Sec}$$

$$= \underline{\underline{500 \text{ Sec}}}$$

$$T_d = \frac{L}{B}$$

eg:: 2

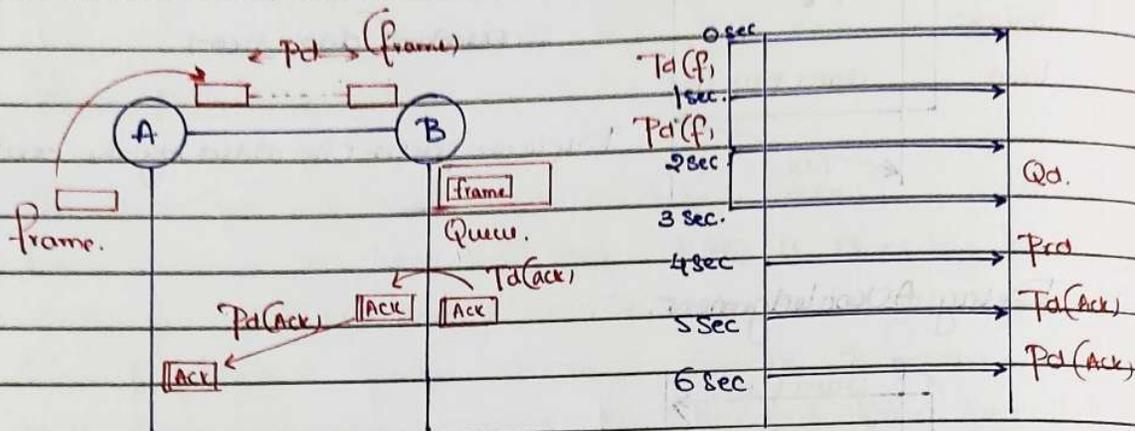
$$\text{Packet size} = 100 \text{ bits}$$

$$\text{Bandwidth} = 10 \text{ bps} = 10 \text{ bit/sec}$$

$$\text{Transmission delay} = \frac{100 \text{ bits}}{10 \text{ bit/sec}}$$

$$= \underline{\underline{10 \text{ sec}}}$$

Efficiency / Line utilization / Link utilization / Sender utilization:



$$\text{Total time} = T_d(\text{Frame}) + P_d(\text{Frame}) + Q_d + P_r_d + T_d(\text{Ack}) + P_d(\text{Ack})$$

Total time is also called as "Round Trip Time".

$$RTT = T_d(\text{Frame}) + 2(P_d) + T_d(\text{Ack})$$

$$\text{Ack Size} < \text{Frame Size}$$

$$T_d(\text{Ack}) < T_d(\text{Frame})$$

$$\boxed{RTT / \text{Total Time} = T_d(\text{Frame}) + 2 * P_d + Q_d + P_r_d + T_d(\text{Ack})}$$

Efficiency of Stop and wait protocol:

$$\text{efficiency } (\eta) = \frac{\text{useful time}}{\text{total time}}$$

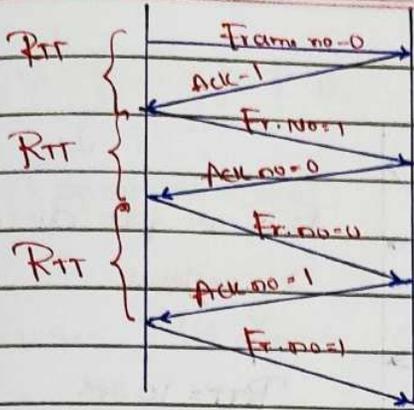
$$\text{efficiency} = \frac{T_d(\text{Frame})}{T_d(\text{Frame}) + 2 * P_d + Q_d + T_d(\text{Ack})}$$

* If $Q_d = P_r_d = T_d(\text{Ack}) = 0$

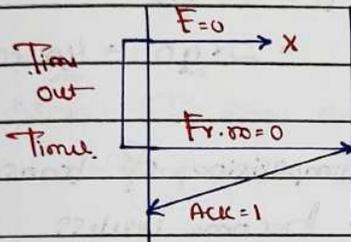
$$\text{then Total time} = T_d(\text{Frame}) + 2 * P_d + Q_d + P_r_d + T_d(\text{Ack})$$

$$\text{Total time} = T_d(\text{Frame}) + 2 * P_d$$

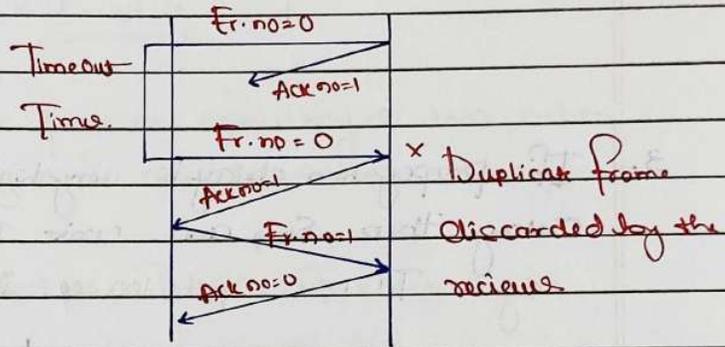
$$\text{efficiency} = \frac{\text{useful time}}{\text{total time}}$$



Last data packet.

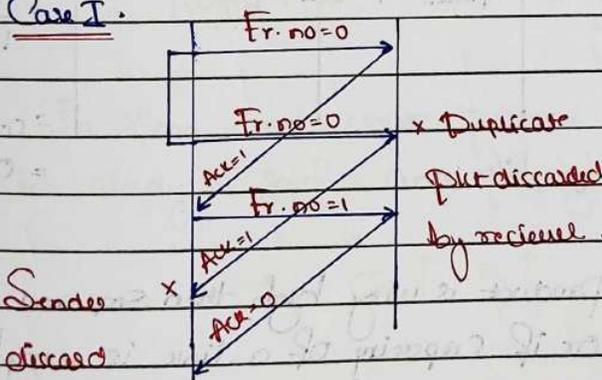


Lost Acknowledgement.



Delay in Acknowledgement.

Case I.



Sender x
discards duplicate packet.

Case II

